

Nonlinear optics for increasing power and contrast of femtosecond laser pulses

Efim Khazanov

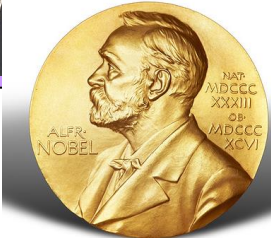
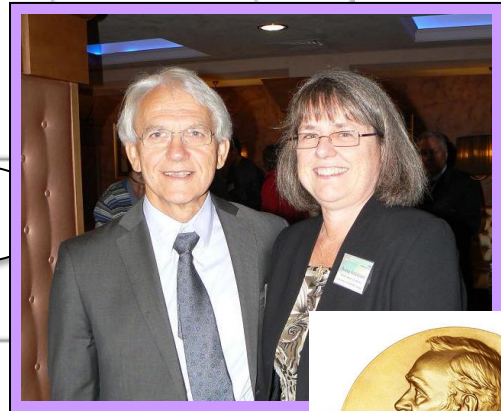
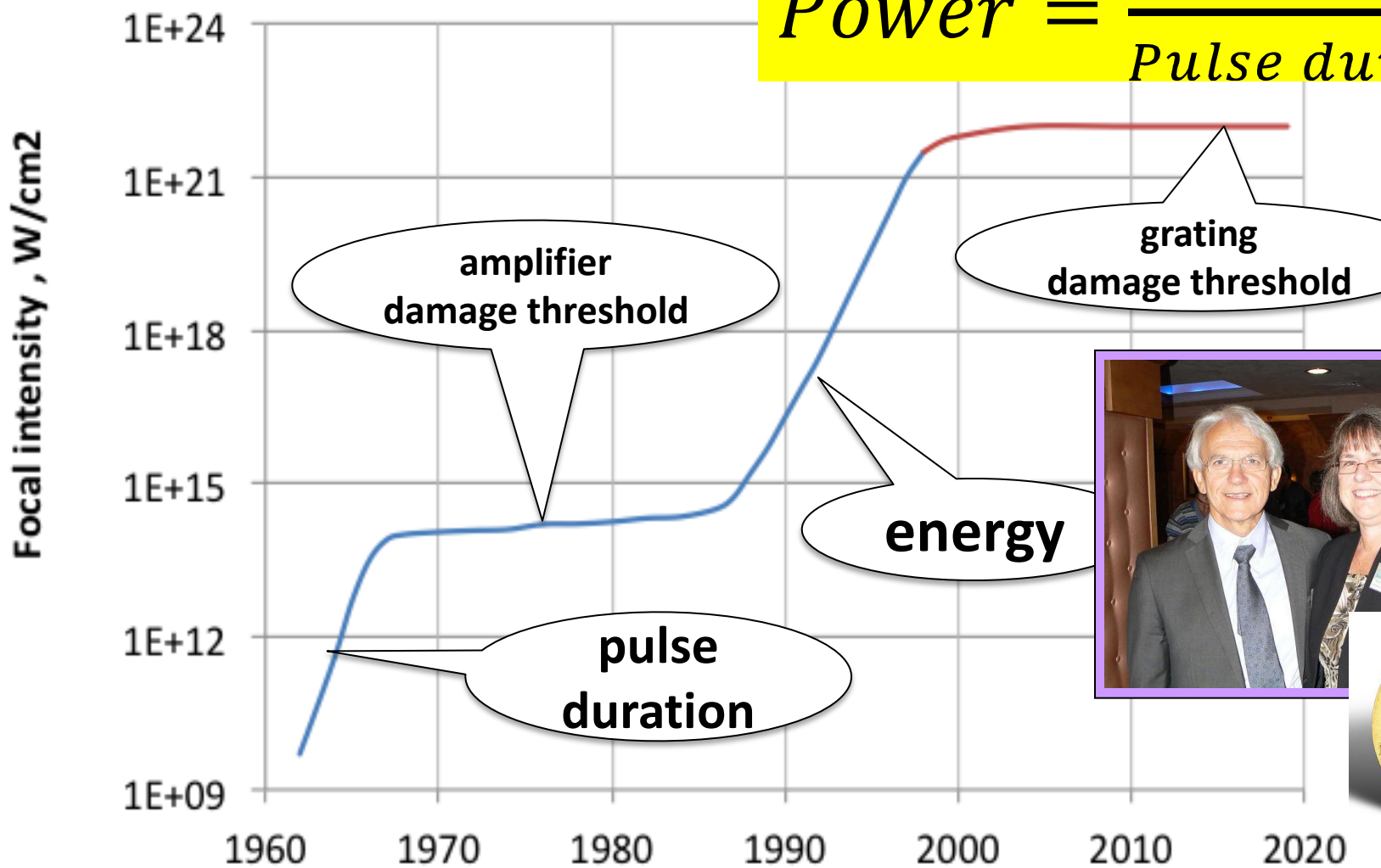
Institute of Applied physics of Russian Academy of Science

- **Motivation**
- **Enhancement of laser pulse power (CafCA)**
- **Enhancement of laser pulse contrast**
- **Conclusions**



New idea is wanted for the next jump

$$Power = \frac{Energy}{Pulse\ duration}$$



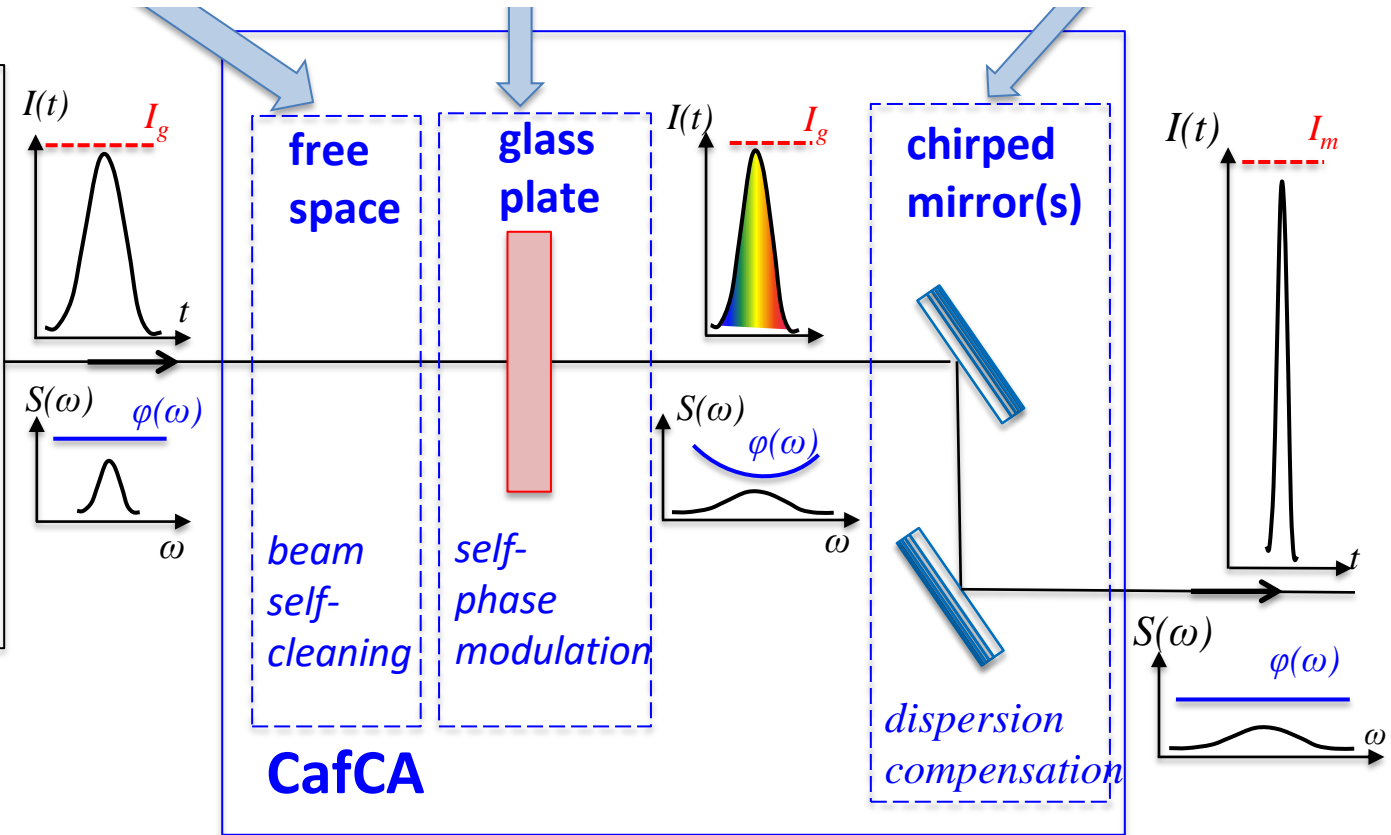
Compression after Compressor Approach (CafCA)

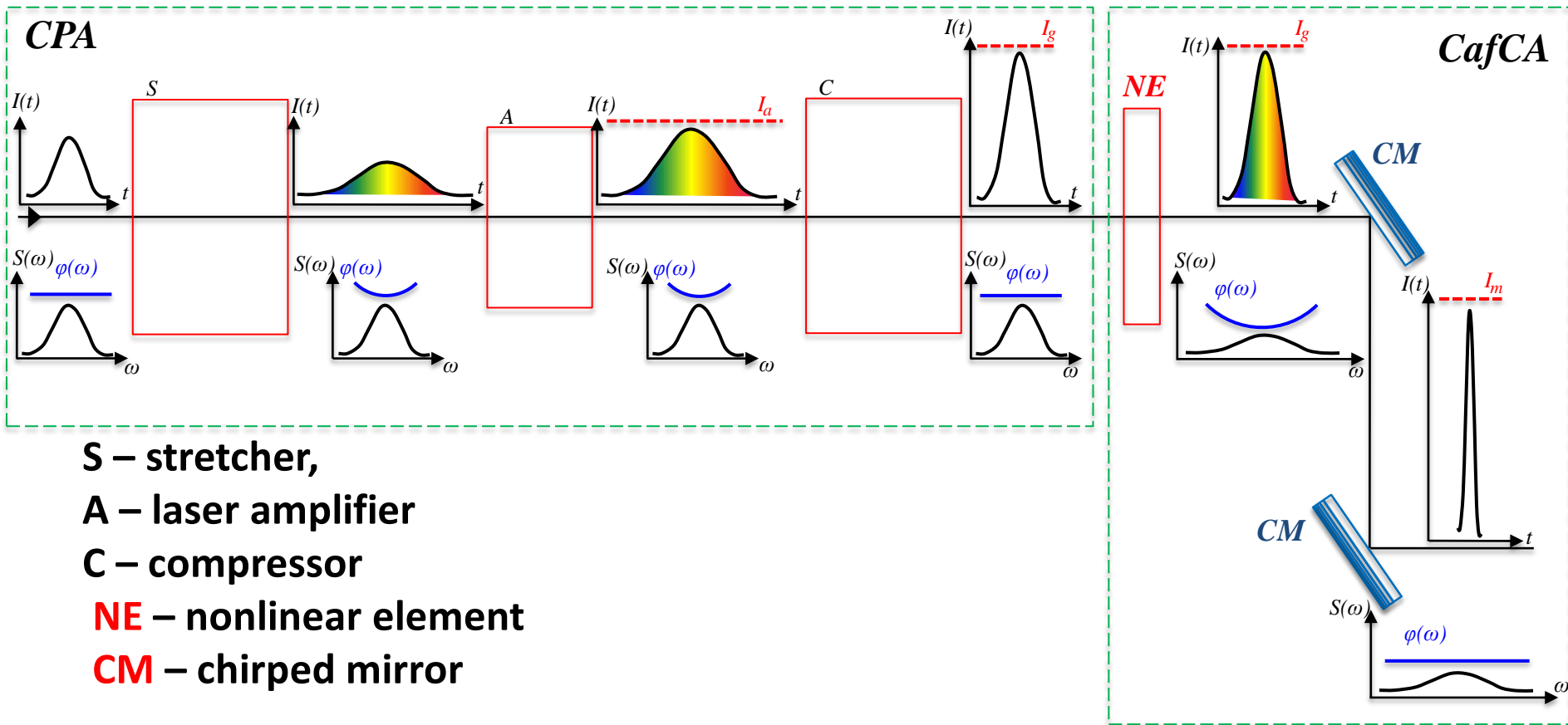
**CafCA is simple, robust and cheap recipe:
just add free space, glass plate and chirp mirror(s)**

any high power laser

1TW ... 10+PW
15fs ... 1ps
mJs ... kJs

1 m²... 1000+m²
100k\$... 1G\$





- **Motivation**
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- **Conclusions**



CafCA hystory from nJ to mJ

nJ

Fisher, R.A., Kelley, P.L., and Gustajson, T.K., "Subpicosecond pulse generation using the optical Kerr effect " Applied Physics Letters 14(4), 140-143, 1969.

idea

Laubereau, A., "External frequency modulation and compression of picosecond pulses," Physical Letters 29A(9), 539-540, 1969.

liquid

Nakatsuka, H., Grischkowsky, D., and Balant, A.C., "Nonlinear Picosecond-Pulse Propagation- through Optical Fibers arith Positive Group Velocity Dispersion," Physical Review Letters 47(13), 910-913, 1981.

fiber

Rolland, C. and Corkum, P.B., "Compression of high-power optical pulses," Journal of the Optical Society of America B 5(3), 641-647, 1988.

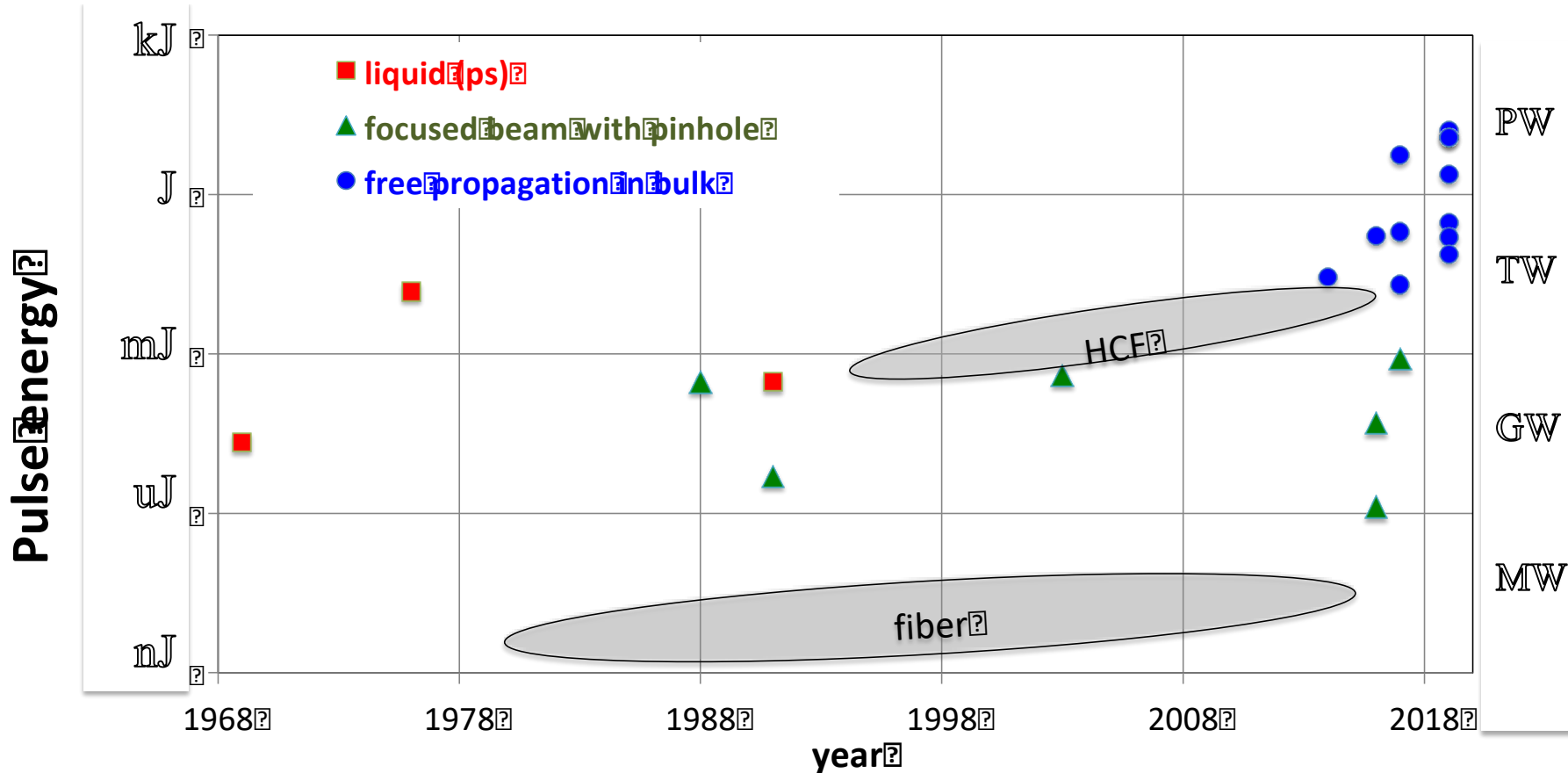
focused beam

Nisoli, M., Silvestri, S.D., and Svelto, O., "Generation of high energy 10 fs pulses by a new pulse compression technique," Applied Physics Letters 68(20), 2793-2795, 1996.

mJ

hollow core fiber

CafCA hystory from nJ to J



CafCA theory basics

$$\frac{\partial a}{\partial Z} - i \frac{D}{2} \frac{\partial^2 a}{\partial \eta^2} + iB |a|^2 a = 0$$

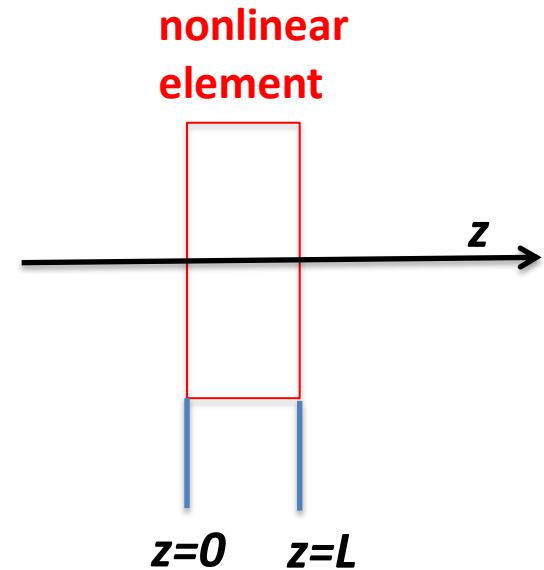
$a = E(t, z) / E(0, 0)$: electric field

$Z = z / L$: normalized distance

$\eta = (t - z/u) / \tau_{pulse}$: normalized time

τ_{pulse} : pulse duration

$$B = n_2 k L = L / L_{nonlinear} \quad D = k_2 L (\tau_{pulse})^2 = L / L_{dispersion}$$



$$F_{power} \approx 1 + B/2$$

Small-scale self-focusing limit

$$B < 2 \dots 3$$

$$F_{\text{power}} \approx 1 + B/2$$

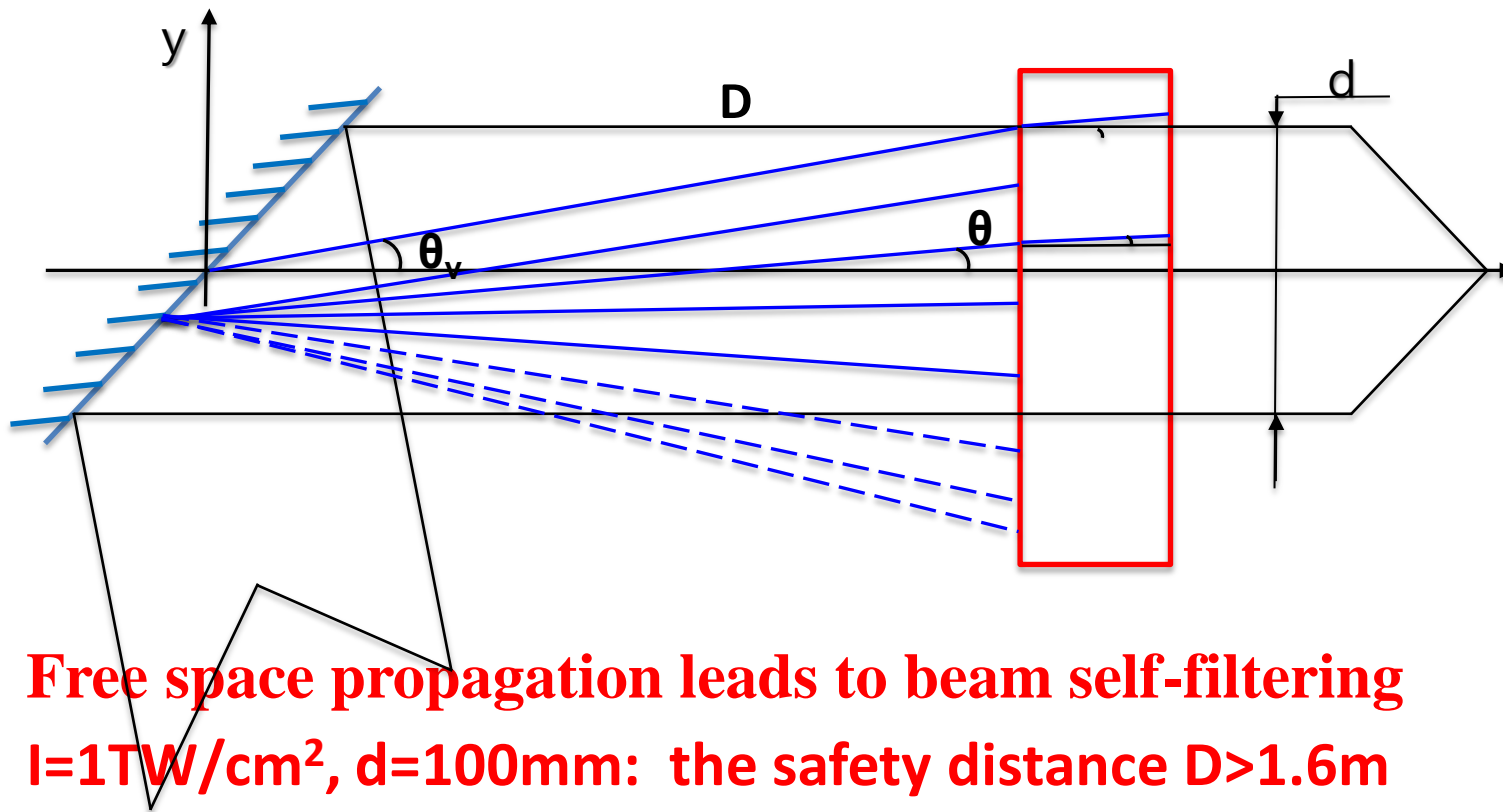
$$F_{\text{power}} < 2 \dots 2.5$$

Beam self-filtering

The technique of beam filtering depends on the intensity level

For ns laser beams intensities $I \sim 1 \div 10 \text{GW/cm}^2$ $\theta_{\text{max}} = 0.73 \div 2 \text{ mrad}$

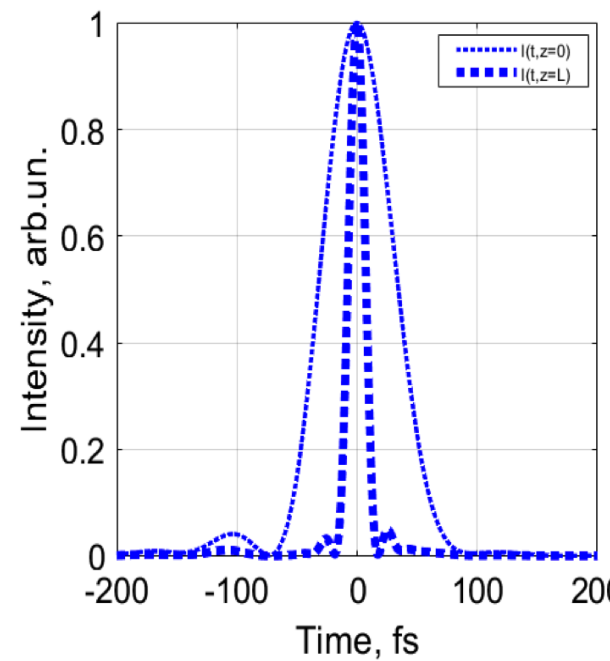
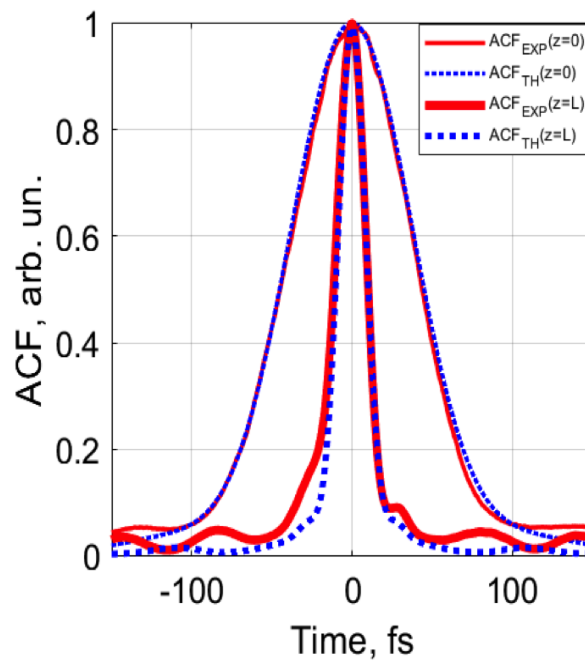
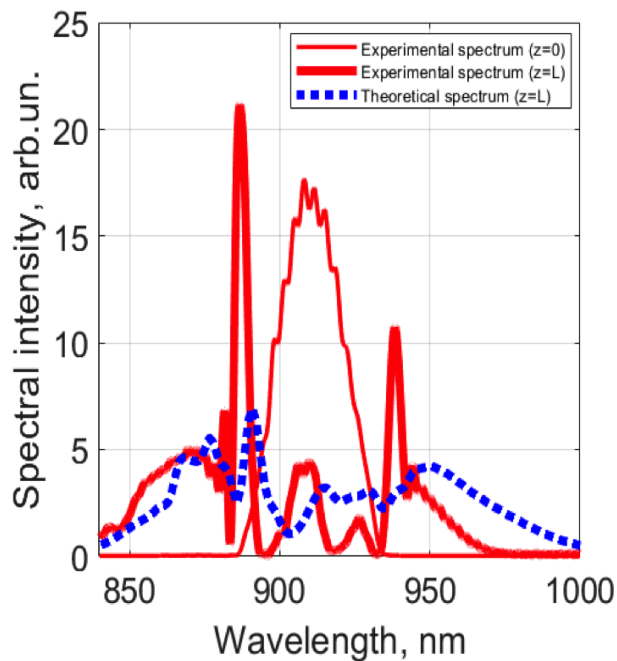
For fs laser beams intensities $I \sim 1 \div 10 \text{TW/cm}^2$ $\theta_{\text{max}} = 20 \div 50 \text{ mrad}$

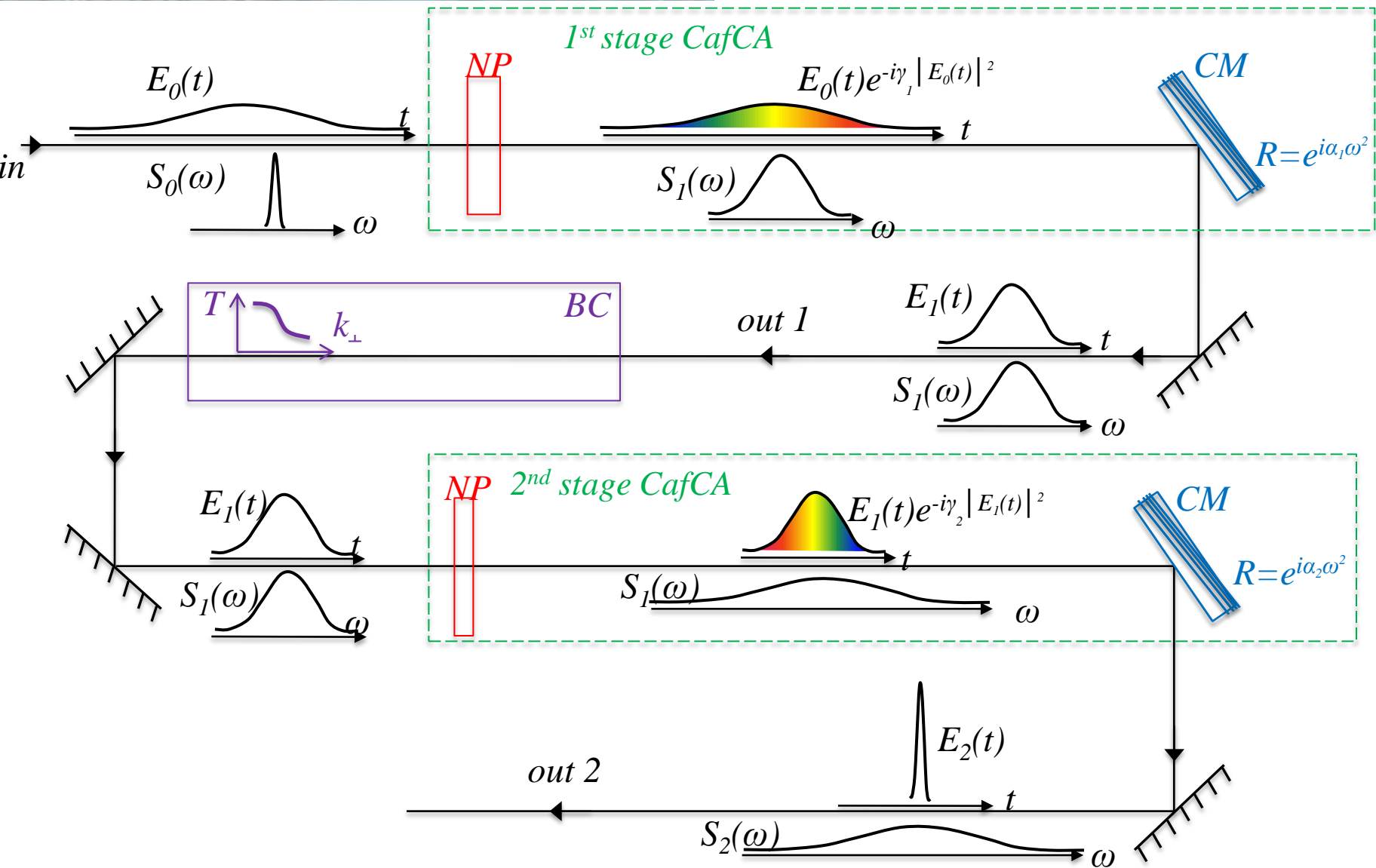


$$q_{\text{cr}} = 2 \sqrt{\frac{g l}{n}}$$

2020 results

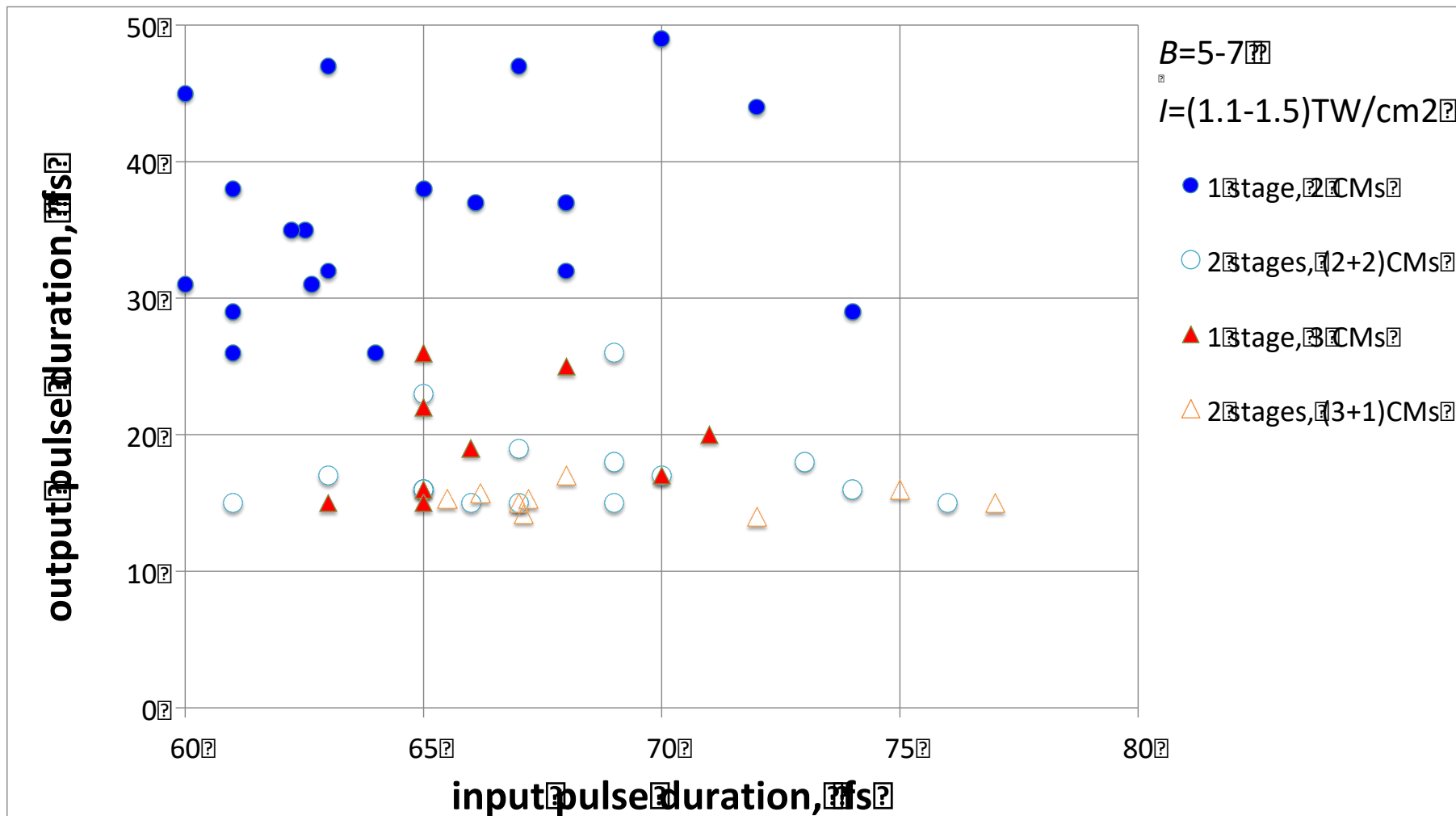
\emptyset 160mm, W=17J, $T_{\text{pulse}}=70\text{fs} \rightarrow 14\text{fs}$, $L_{\text{glass}}=3\text{ mm}$, $B \sim 7.5$





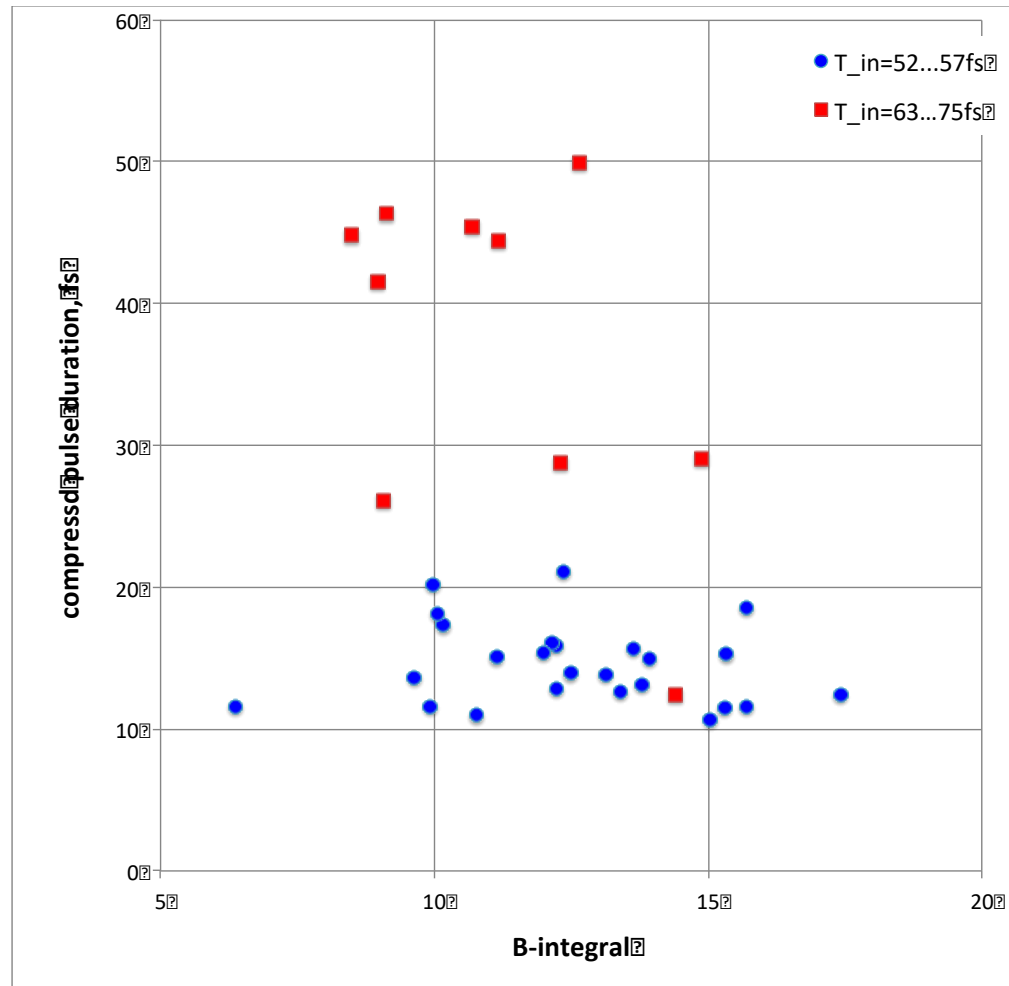
Single-stage vs two-stage

\varnothing 160mm, $W=17J$, $T_{\text{pulse}}=70\text{fs} \rightarrow 14\text{fs}$, $L_{\text{glass}}=3\text{ mm}$, $B \sim 7.5$



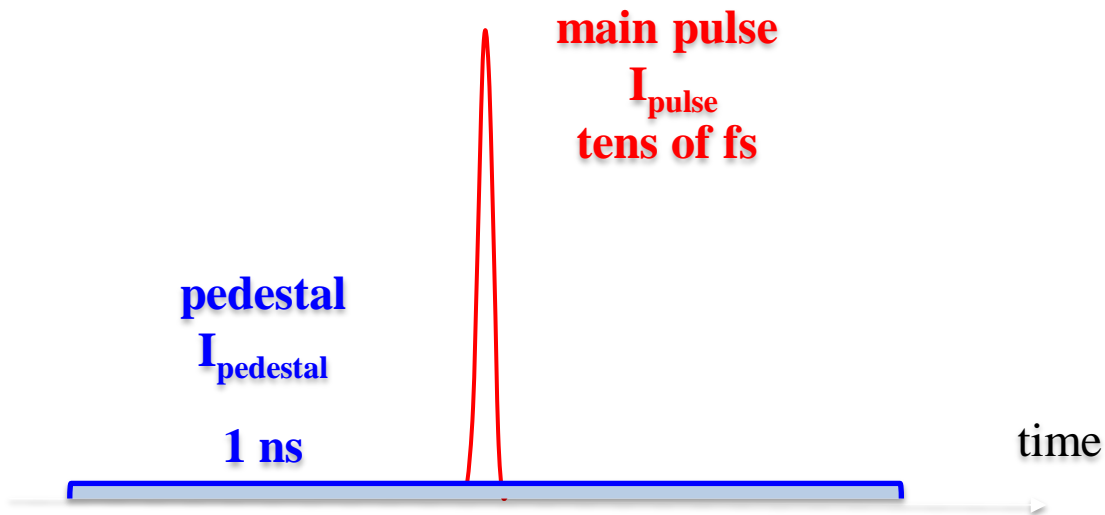
Fresh new results

\emptyset 160mm, W=17J, $T_{\text{pulse}}=55\text{fs}$ \rightarrow **11fs**, $L_{\text{glass}}=5$ mm, **$B \sim 15$**



- Motivation
- Enhancement of laser pulse power (CafCA)
- Enhancement of laser pulse contrast
- Conclusions

$$C = \frac{I_{pulse}}{I_{pedestal}}$$



Contrast enhancement techniques

- **plasma mirrors**

A. Lřvy, T. Ceccotti, P. D'Oliveira, F. Rřau, M. Perdrix, F. Quřř, P. Monot, M. Bougeard, H. Lagadec, P. Martin, J.-P. Geindre, P. Audebert *Opt. Lett.*, **32**, 310 (2007)

- **second harmonic generation**

S.Y. Mironov, V.V. Lozhkarev, V.N. Ginzburg, E.A. Khazanov *Applied Optics*, **48**, 2051 (2009).

- **orthogonal polarization generation (XPW generation)**

A. Jullien, O. Albert, F. Burgy, G. Hamoniaux, J.-P. Rousseau, J.-P. Chambaret, F. Augé-Rochereau, G. Chériaux, J. Etchepare, N. Minkovski, S.M. Saliel *Optics Letters*, **30**, 920 (2005).

- **spectral pulse filtering after self-phase modulation**

Buldt, M. Müller, R. Klas, T. Eidam, J. Limpert, A. Tünnermann *Optics Letters*, **42**, 3761 (2017).
S.Y. Mironov, M.V. Starodubtsev, E.A. Khazanov *Optics Letters*, **46**, , (2021)

- **spatial spectra manipulation by non-linear wedge**

E.A. Khazanov *Quantum Electronics*, **51**, (2021)

- **nonlinear Mach-Zehnder interferometer**

S.Y. Mironov, E.A. Khazanov *Quantum Electronics*, **49**, 337 (2019).

- **nonlinear polarization interferometer - this talk**

E.A. Khazanov *Optics Express*, accepted (2021)

$\chi^{(3)}$ phenomena

Nonlinear Mach-Zehnder interferometer

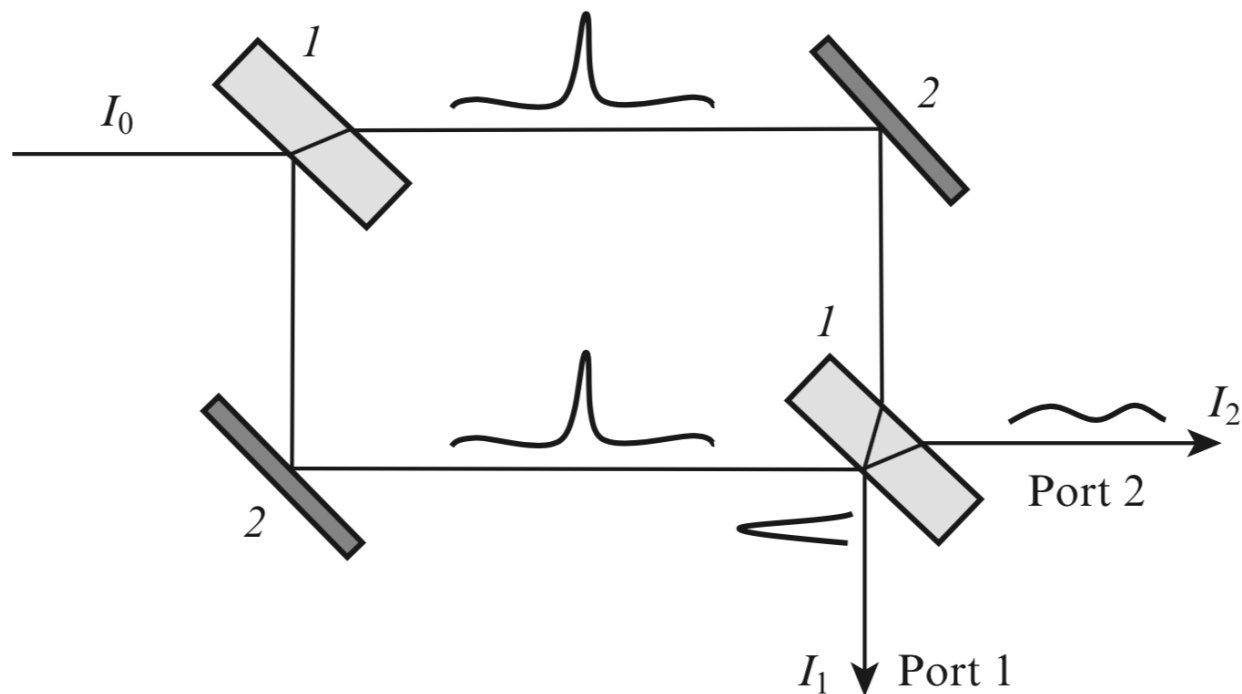
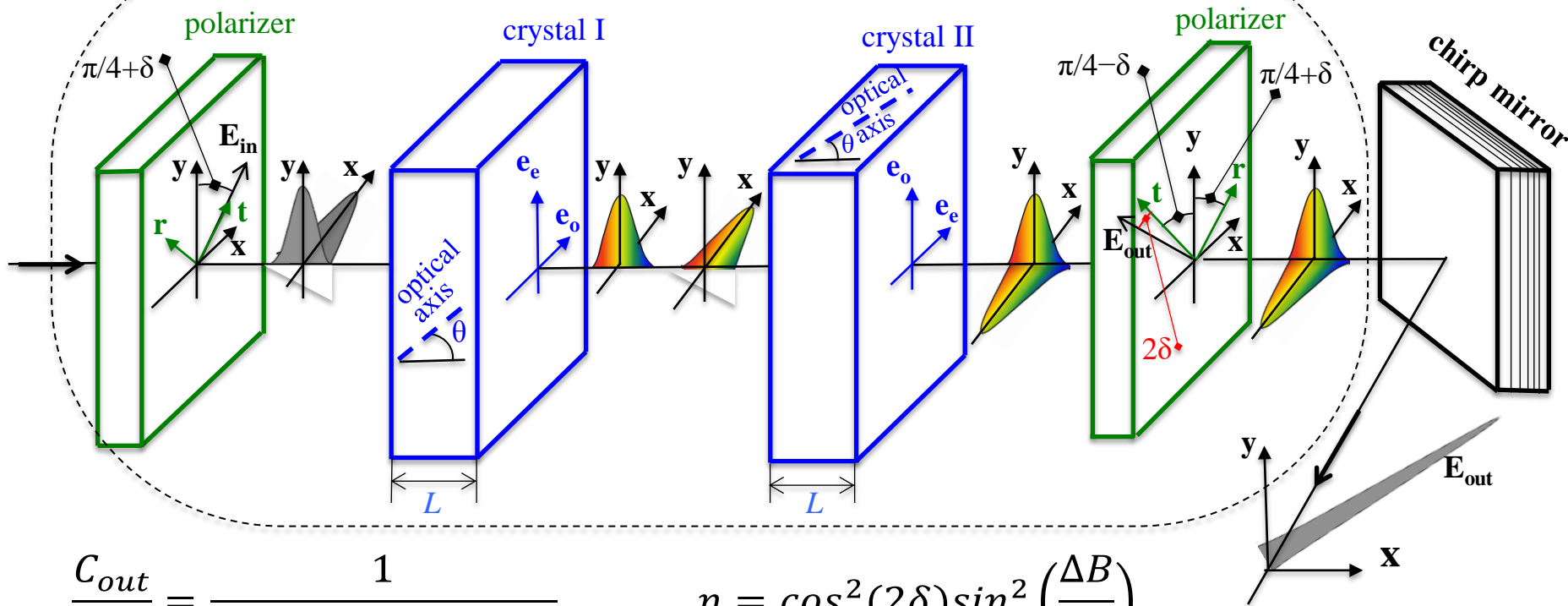


Figure 1. Schematic of a Mach–Zehnder interferometer: (1) transmitting optical elements; (2) mirrors; I_0 is the initial intensity; I_1 and I_2 are the intensities at interferometer outputs for ports 1 and 2, respectively.

Nonlinear polarization interferometer + CafCA

Nonlinear polarization interferometer



$$\frac{C_{out}}{C_{in}} = \frac{1}{\cos^2(2\delta)\sin^2\left(\frac{\Delta\Psi}{2}\right)}$$

$$\eta = \cos^2(2\delta)\sin^2\left(\frac{\Delta B}{2}\right)$$

$\Delta\Psi$ – linear phase delay between o- and e-polarizations

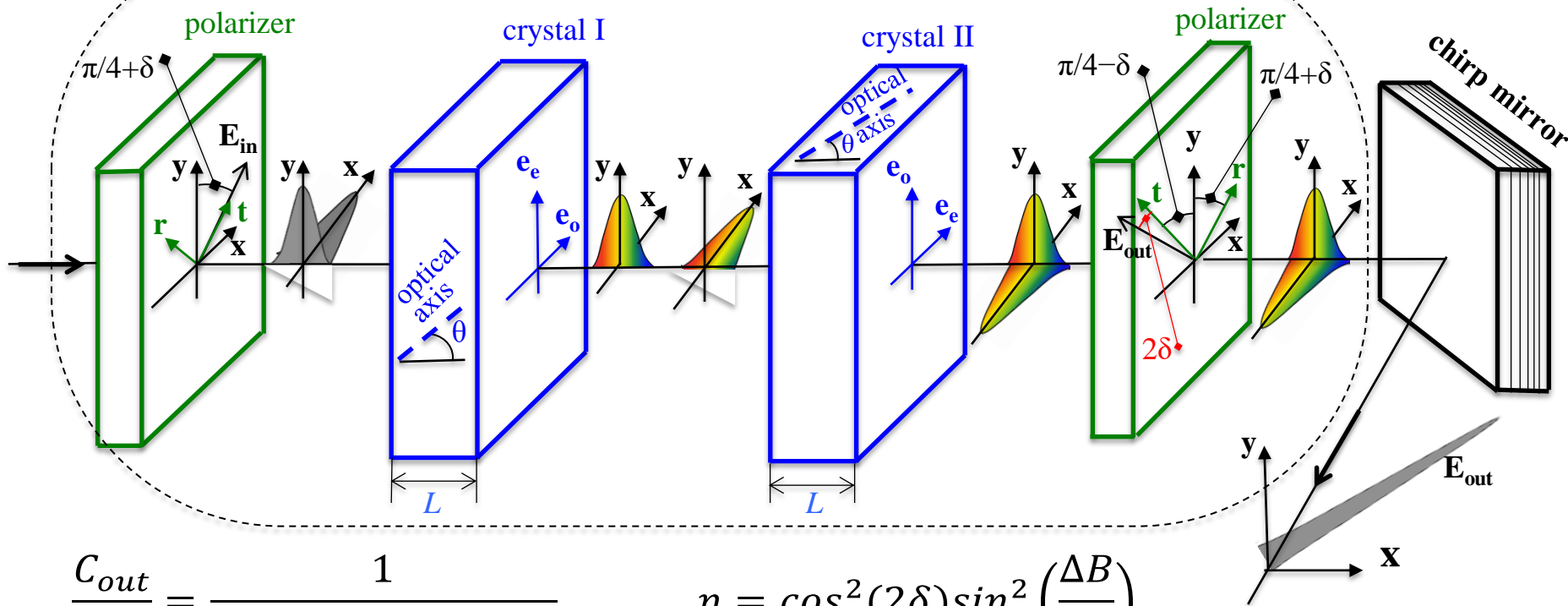
ΔB – non-linear phase delay between o- and e-polarizations

$$\Delta\Psi=0$$

$$\Delta B=\pi$$

Nonlinear polarization interferometer + CafCA

Nonlinear polarization interferometer



$$\frac{C_{out}}{C_{in}} = \frac{1}{\cos^2(2\delta)\sin^2\left(\frac{\Delta\Psi}{2}\right)}$$

$$\eta = \cos^2(2\delta)\sin^2\left(\frac{\Delta B}{2}\right)$$

$$\Delta B = B_x - B_y = B_{o,I} - B_{o,II} + B_{e,II} - B_{e,I} \quad \langle B \rangle = \frac{B_{o,I} + B_{o,II} + B_{e,II} + B_{e,I}}{2}$$

Nonlinear polarization interferometer + CafCA

$$\eta = \cos^2(2\delta) \sin^2\left(\frac{\Delta B}{2}\right)$$

$$\Delta B = B_x - B_y = B_{o,I} - B_{o,II} + B_{e,II} - B_{e,I} \quad \Delta B = \pi$$

- i) at anisotropic cubic nonlinearity ($n_{2,I} \neq n_{2,II}$, as n_2 depends on φ), or
- ii) at different wave intensities in the x- and y-polarizations ($I_x \neq I_y$, t.e. $\delta \neq 0$), or
- iii) when both these cases occur simultaneously

$$h_1 = \frac{\chi_{cccc}}{\chi_{aaaa}} \quad h_2 = \frac{\chi_{aabb}}{\chi_{aaaa}} \quad h_3 = \frac{\chi_{baaa}}{\chi_{aaaa}} \quad h_4 = \frac{\chi_{aacc}}{\chi_{aaaa}} \quad h_5 = \frac{\chi_{aabc}}{\chi_{aaaa}} \quad h_6 = \frac{\chi_{abcc}}{\chi_{aaaa}}$$

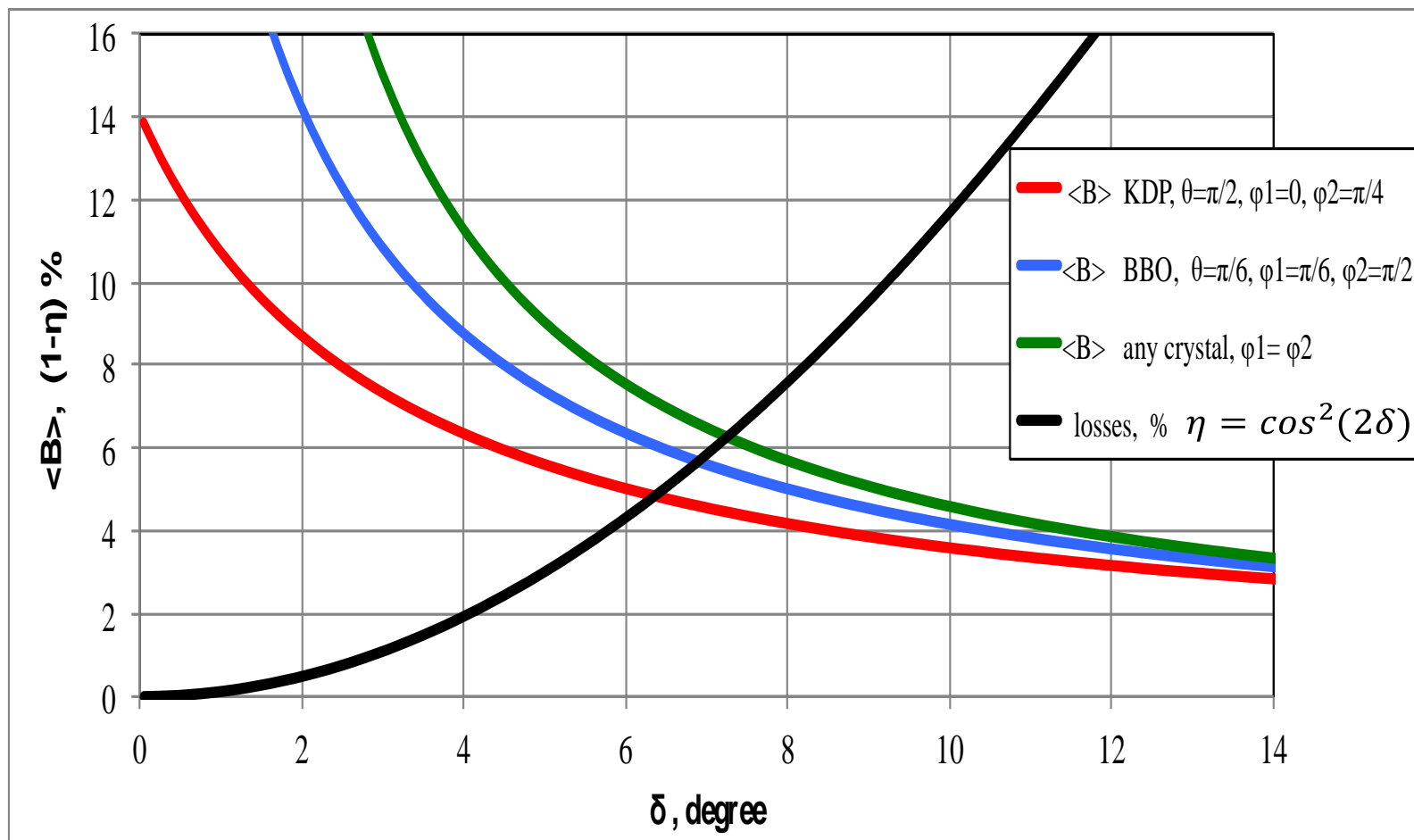
$$n_{2,o} = f(\varphi, h_i)$$

$$n_{2,e} = f(\theta, \varphi, h_1)$$

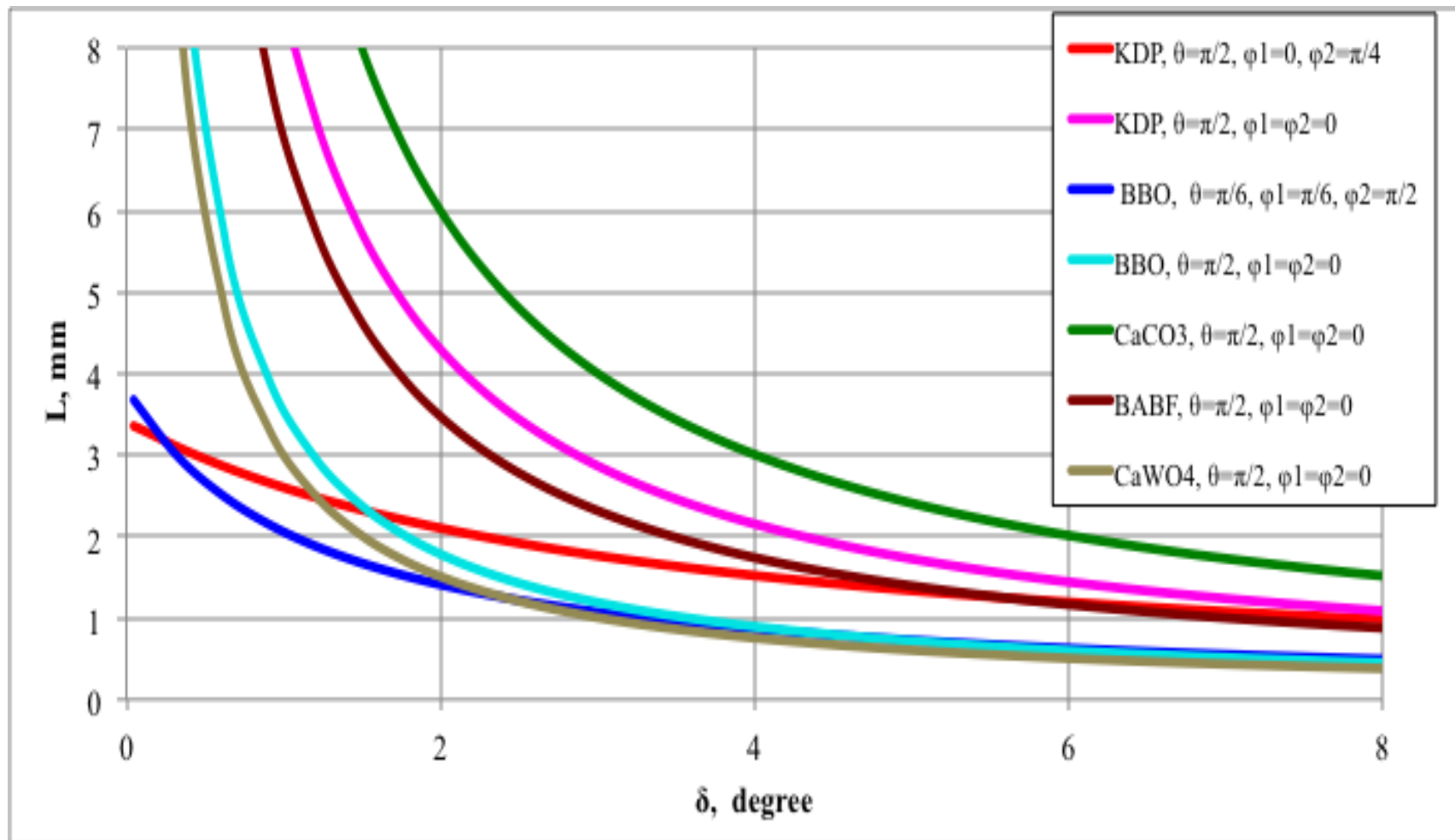
$$n_{2,o}(\varphi = 0) = \frac{\chi_{aaaa}}{n_o^2}$$

$$B_0 = kL \frac{I_x + I_y}{2} n_{2,o}(\varphi = 0)$$

Nonlinear phase of the output pulse $\langle B \rangle$ and losses $(1 - \eta)$



Crystal length $L(\delta)$ for different crystals ($I_x+I_y=2 \text{ TW/cm}^2$)



Увеличение контраста C_{out}/C_{in} , длина кристалла L , длина разбегания импульсов l

$$\langle B \rangle = 14, \quad \delta L = \lambda/7, \quad I_x + I_y = 2 \text{ TW/cm}^2, \quad \lambda = 910 \text{ nm}, \quad \tau = 30 \text{ фс}$$

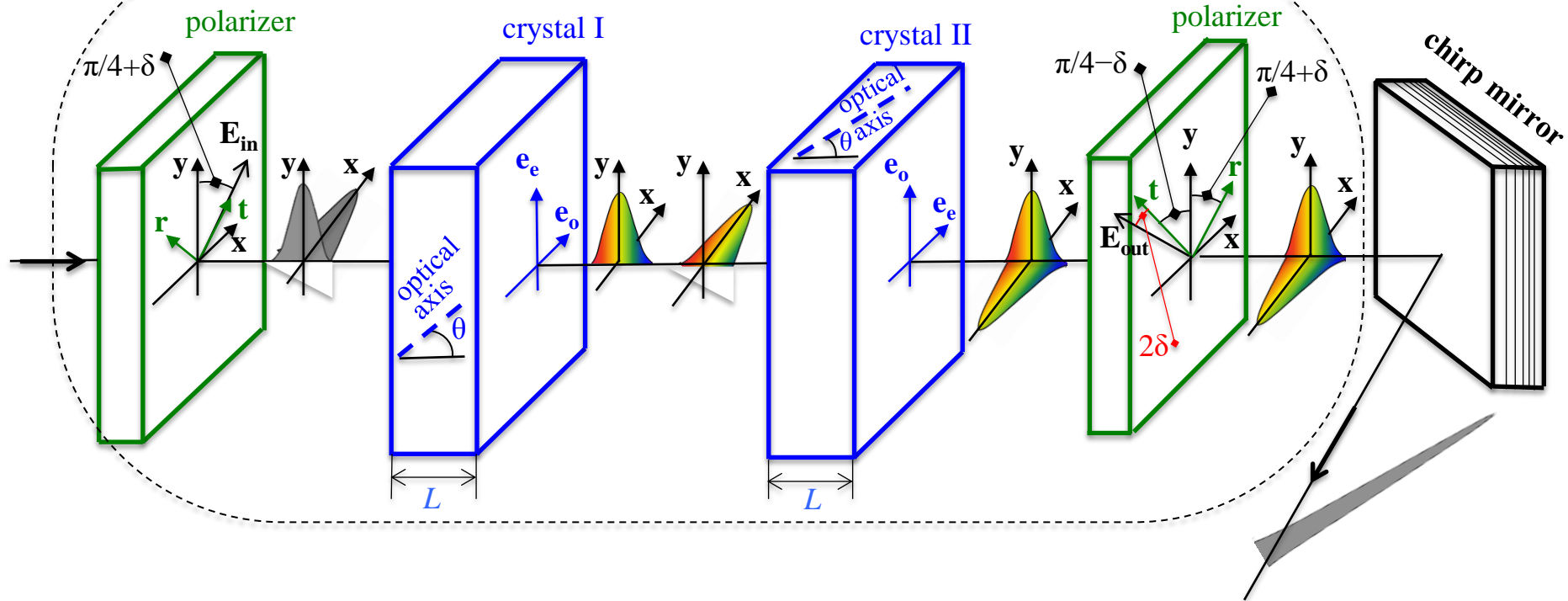
| | θ | φ_1 | φ_2 | δ , degree | C_{out}/C_{in} | L , mm | l , mm |
|-------------------|----------|-------------|-------------|-------------------|------------------|----------|----------|
| KDP | $\pi/2$ | 0 | $\pi/4$ | 0 | 3730 | 3.4 | 0.25 |
| | $\pi/2$ | 0 | 0 | 3 | 3730 | 2.7 | 0.25 |
| BBO | $\pi/6$ | $\pi/6$ | $\pi/2$ | 2 | 6280 | 1.4 | 0.32 |
| | $\pi/2$ | 0 | 0 | 3 | 370 | 1.1 | 0.08 |
| CaCO ₃ | $\pi/2$ | 0 | 0 | 3 | 180 | 3.8 | 0.05 |
| | $\pi/6$ | 0 | 0 | 3 | 3160 | 3.6 | 0.23 |
| BABF | $\pi/2$ | 0 | 0 | 3 | 2780 | 2.2 | 0.21 |
| CaWO ₄ | $\pi/2$ | 0 | 0 | 3 | 21500 | 0.9 | 0.59 |

Conclusion

- We have proposed a method for the simultaneous enhancement of the temporal contrast and power of powerful femtosecond laser pulses using a nonlinear polarization interferometer (NPI).
- The nonlinear phase incursion π can be provided both due to the anisotropy of the cubic nonlinearity (n_2 depends on the angle φ), and due to different wave intensities in orthogonal polarizations.
- For the first option, the KDP crystal has suitable properties and for the second option, a wide range of uniaxial crystals.
- The pulse that has passed through the second polarizer is self-phase modulated, which allows it to be compressed by reflection from the chirping mirrors, thereby increasing the peak power.
- The NPI has an in-line geometry that does not require spatial beam separation and can be used at the output of any lasers with TW power and higher, as well as in lasers with double-CPA.

Thank you

Nonlinear polarization interferometer





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Instead of conclusion

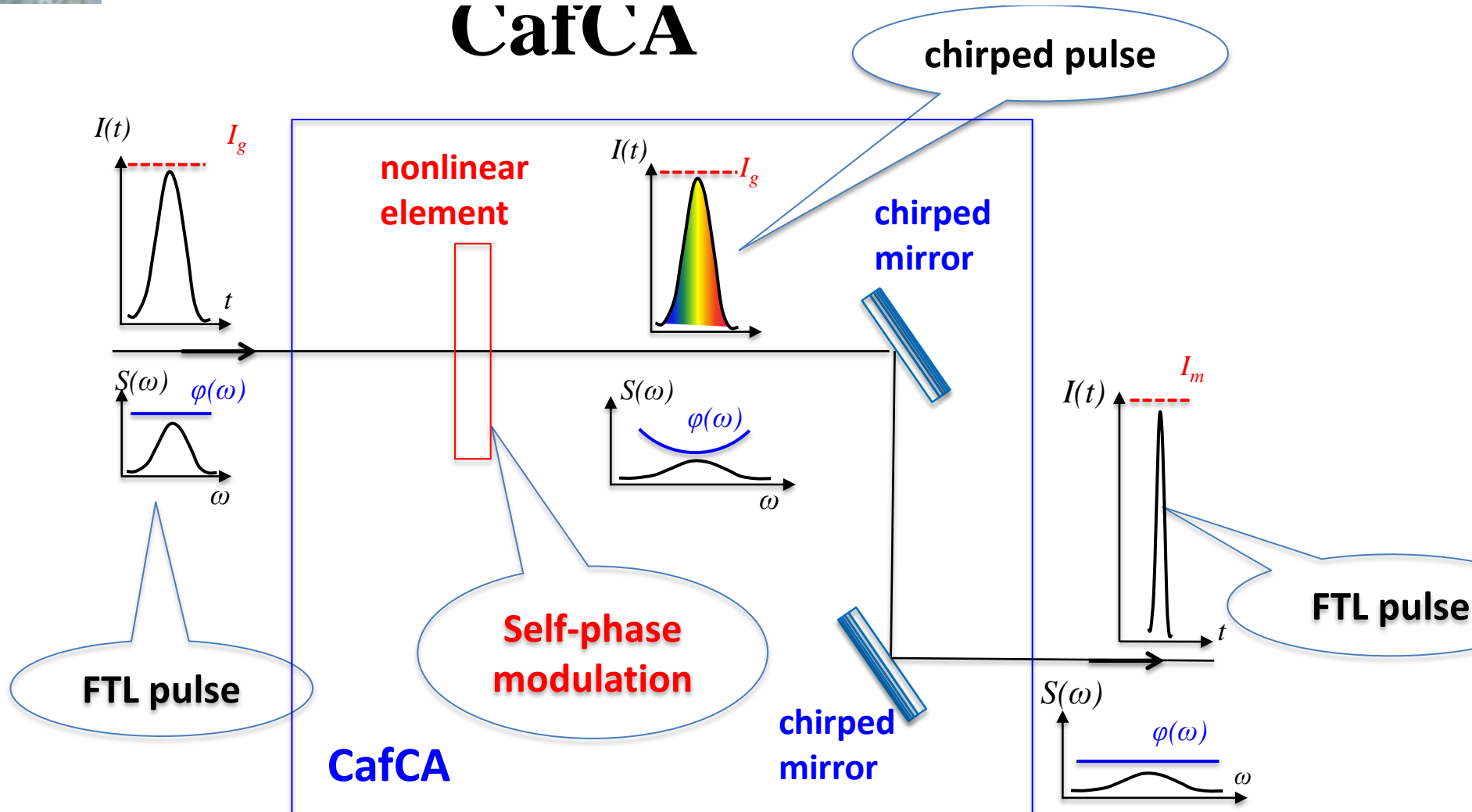
**CafCA is simple, robust and cheap recipe:
just add free space, glass plate and chirp mirror(s)**





Compression after Compressor Approach

CafCA



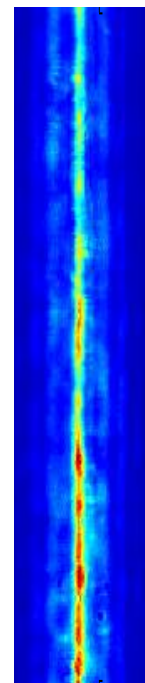
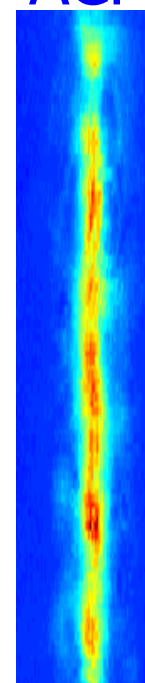
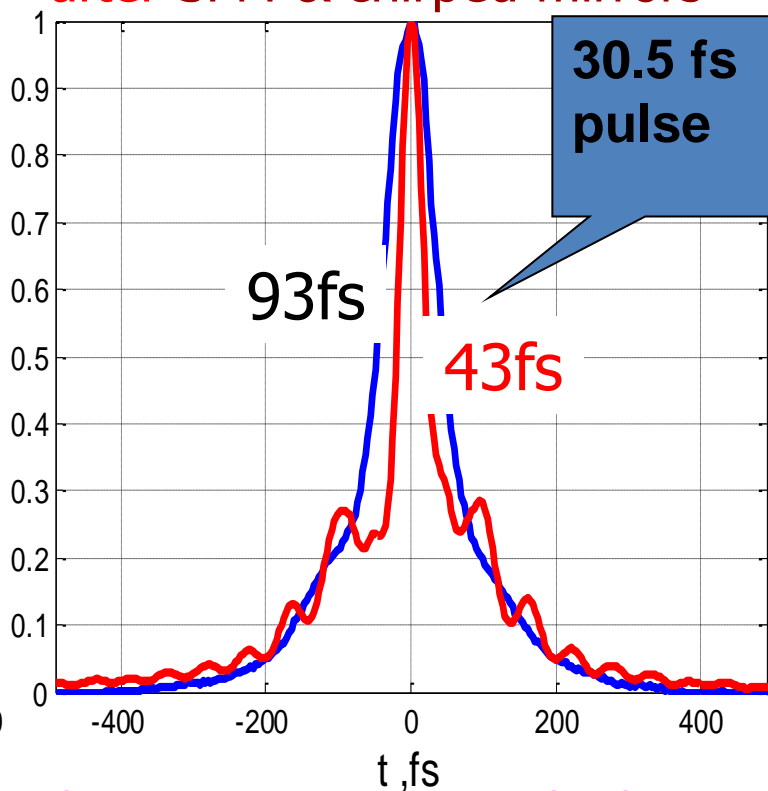
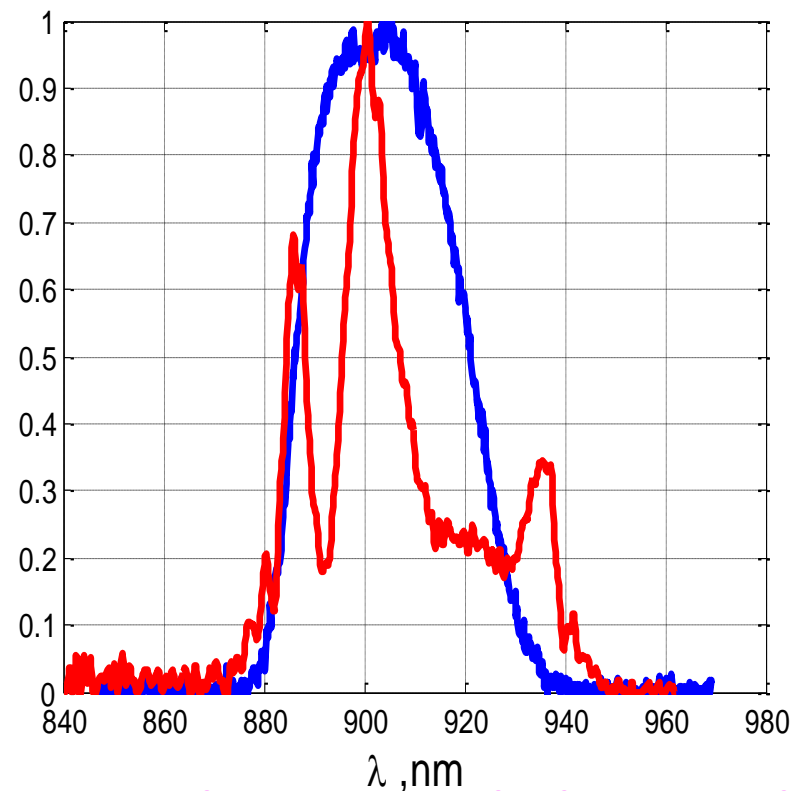
Example 1: at the output of the PEARL front-end

\emptyset 20mm, $W=20\text{mJ}$, $T_{\text{pulse}}=66\text{fs} \rightarrow 30\text{fs}$, $L_{\text{plastic}}=3\text{mm}$, $B \sim 2$

Spectra before and after SPM

ACF w/o SPM and
after SPM & chirped mirrors

ACF ACF



Nonlinear polarization interferometer + CafCA

| Crystal Class | syngony | Tetragonal | | Trigonal | | Hexagonal |
|--|---------------------|---|------------------------------|---|--|-----------------|
| | symmetry | $4, \bar{4}, 4/m$ | $\bar{4}2m, 422, 4mm, 4/mmm$ | $3, \bar{3}$ | $3m, \bar{3}m, 32$ | |
| | example | YLF, CaWO ₄ , BaWO ₄ , PbMoO ₄ | KDP, DKDP, TeO ₂ | | BBO, CaCO ₃ , LiNbO ₃ | BABF |
| | h_i | h_1, h_2, h_3, h_4 | h_1, h_2, h_4 | h_1, h_4, h_5, h_6 | h_1, h_4, h_5 | h_1, h_3, h_4 |
| | $n_{2,o}(\varphi)$ | $f(\varphi)$ | $f(\varphi)$ | const | const | const |
| | $n_{2,e}(\varphi)$ | const | const | $f(\varphi)$ | $f(\varphi)$ | const |
| crystals of different orientations: $\theta_1=\theta_2=\theta, \varphi_1=\varphi_2=\varphi$ | Θ | $\pi/2$ | $\pi/2$ | $\pi/6$ | $\pi/6$ | N/A |
| | Φ_1 | $\frac{1}{4} \arctg\left(\frac{4h_3}{1-3h_2}\right)$ | 0 | $\frac{1}{3} \arctg\left(-\frac{h_5}{h_6}\right)$ | $\pi/6$ | N/A |
| | Φ_{II} | $\Phi_1 + \frac{\pi}{4}$ | $\pi/4$ | $\Phi_1 + \frac{\pi}{3}$ | $\pi/2$ | N/A |
| | D | $\sqrt{\left(\frac{1-3h_2}{2}\right)^2 + (2h_3)^2}$ | $\frac{1-3h_2}{2}$ | $\frac{3\sqrt{3}}{2} \left(\frac{n_o}{n_e}\right)^2 \sqrt{(h_5)^2 + (h_6)^2}$ | $\frac{3\sqrt{3}}{2} \left(\frac{n_o}{n_e}\right)^2 h_5$ | N/A |
| | A | $\frac{3}{2}(1-h_2) + 2\left(\frac{n_o}{n_e}\right)^2 h_1$ | | $2 + \frac{1}{8}\left(\frac{n_o}{n_e}\right)^2 (9 + 4h_4 + h_1)$ | | N/A |
| | $\Delta B/B_0$ | $D + A \sin(2\delta)$ | | | | N/A |
| | $\langle B \rangle$ | $\frac{\pi A + D \sin(2\delta)}{2D + A \sin(2\delta)}$ | | | | N/A |
| | L | $\frac{\lambda}{n_{2,o}(\varphi=0)I_\Sigma} \cdot \frac{1}{D + A \sin(2\delta)}$ | | | | N/A |
| identical crystals: $\theta_1=\theta_2=\theta, \varphi_1=\varphi_2=\varphi$ | $\Delta B/B_0$ | $2\left(1 + \frac{n_{2e}(\vartheta, \varphi)}{n_{2o}(\varphi)}\right) \sin(2\delta)$ | | | | |
| | $\langle B \rangle$ | $\frac{\pi}{2 \sin(2\delta)}$ | | | | |
| | L | $\frac{\lambda}{n_{2,o}(\varphi=0)I_\Sigma} \cdot \frac{1}{2\left(1 + \frac{n_{2e}(\vartheta, \varphi)}{n_{2o}(\varphi)}\right)} \cdot \frac{1}{\sin(2\delta)}$ | | | | |